

X



On Chip Photonics and Optoelectronics

祝世宁

National Laboratory of Solid State Microstructures

Nanjing University











1945, MIT

1996, Intel



SPP 光子集成及量子芯片







On Chip Photonics & Optoelectronics



纠缠光子的产生(自发参量下转换) Spontaneous parametric down-conversion (SPDC)



纠缠光子的产生(自发参量下转换) Spontaneous parametric down-conversion (SPDC)



Different structures



Key features

♦ High efficiency, 1-2 order higher (bulk), 4-5 orders higher than BPM crystals

Designable wavelength

Engineerable state

纠缠光子的产生、分束、聚焦、成像







Leng *et al.*, Nat. Commun. 2, 429 (2011) P.Xu *et al*, Phys. Rev. A, 86, 013805 (2012)



AIP ADVANCES 2, 041401 (2012)

Review Article: Quasi-phase-matching engineering of entangled photons

P. Xu^a and S. N. Zhu^b National Laboratory of Solid State Microstructures and School of Physics, Nanjing University, Nanjing 210093, China

(Received 15 August 2012; accepted 17 October 2012; published online 28 December 2012)



可预知单光子多模纠缠 多光子NOON态 Phys. Rev. Lett. 111, 023603 (2013) Phys. Rev. A 86, 023835 (2012)

naturechina

<u>iome</u> > <u>Subject archive</u> > Research Highlights



Search Nature Cl



铌酸锂晶片上分立光学元件的集成及光子芯片的物理实现



Si SiO₂ LiNbO₃

- 单光子、纠缠光子源 -- 〉 超晶格
- 分束器(光子干涉路径)-->波导
- 相位控制 --> 电光调制器
- 偏振分束器 --> 定向耦合器
- 偏振旋转器 --> 波片
- 滤波器、分色器 -- 〉 WDM

LiNbO₃有源光量子芯片



- I: A 780 nm pump is coupled into waveguide L_0 and equally distributed by a Y-branch beamsplitter, electro-optic effect controls the phase-shift between two paths.
- II: A pair of entangled photons at 1,560 nm are generated from either one of the two PPLN waveguides, yielding a path-entangled state.
- III: The quantum interference is realized by a 2×2 directional coupler C_1 . By filters C_2 , C_2 '. Entangled photons are in R1 and R4. The pump is in R2 and R3.

LiNbO₃有源光量子芯片



$$\frac{1}{\sqrt{2}} \left(\left| 2,0 \right\rangle + e^{i\Delta\varphi} \left| 0,2 \right\rangle \right) \xrightarrow{EOPS} \frac{1}{\sqrt{2}} \left(\left| 2,0 \right\rangle - \left| 0,2 \right\rangle \right) \sin(\Delta\varphi/2) + \left| 1,1 \right\rangle \cos(\Delta\varphi/2)$$

$$|\Psi\rangle_{bunch} = \frac{1}{\sqrt{2}} (|2,0\rangle - |0,2\rangle) \ (\Delta\varphi = \pi) \qquad \qquad |\Psi\rangle_{sep} = |1,1\rangle \quad (\Delta\varphi = 0)$$



LiNbO₃有源光量子芯片



Input: classical pump laser



Output: Quantum light



Mask design: multi-channel, covering C-, L- band



On-chip quantum interference between silicon photon-pair sources

J. W. Silverstone¹, D. Bonneau¹, K. ^a C. M. Natarajan³, M. G. Tanner⁴, R J. L. O'Brien¹ and M. G. Thompsor



LN V.S. SOI chip

	LN	SOI
Input power(mW)	0.039	15
Rep. rate	电光~40 GHz	热~KHz
Flux (Hz nm ⁻¹ mW ⁻¹)	1.1×10 ⁷	2.7×10 ³
Length (mm)	10	5.2

1. 低功耗

2. 光子产生效率高三个量级; 3. 光子调制效率高三个量级; 4. 光子工作波长:

Physics spotlighting exceptional research Home About Browse APS Journals



S Synopsis: Quantum Photonics on a Chip

 On a single chip, sources of entangled photons are combined with optical elements that can perform complex manipulations of quantum signals.

ple

Featured in Physics Editors' Suggestion

On-Chip Generation and Manipulation of Entangled Photons Based on Reconfigurable Lithium-Niobate Waveguide Circuits

H. Jin, F. M. Liu, P. Xu, J. L. Xia, M. L. Zhong, Y. Yuan, J. W. Zhou, Y. X. Gong, W. Wang, and S. N. Zhu

Phys. Rev. Lett. 113, 103601 (2014) - Published 4 September 2014

Quantum sources in the hands



量子控制非门(C-NOT)





O'Brien et al. Nature 426(2003)



二种方案:LN晶片; 2. Si和PPLN晶片键合





O'Brien *et al.* Science, 646(2008)

SPP 光子集成及量子芯片



光学模拟芯片



On Chip Photonics & Optoelectronics





表面等离激元(SPP)的传播调控: II. 反射与分束



SPP Bragg mirror, PRB 73, 155416 (2006)





Bragg 点阵作为SPP分束器





基于SPP和MPP(超构材料)的量子集成光路









O'Brien *et al.* Nature 426(2003)



Nikolai *et al.*, PRL 95,210505(2005)



介质加载SPP波导体系中TM、TE的特殊分束 →

量子CNOT门















On Chip Photonics & Optoelectronics



牛顿的平直时空观(欧几里德空间、笛卡尔坐标) 11 $+y^{2}+z^{2}$ F

$$=G\frac{mM}{r^2} \qquad r^2 = x^2$$







广义相对论与时空弯曲的实验验证



爱丁顿爵士率领的远征队在1919 年日全食时拍摄的负片。 证实了爱因斯坦关于太阳会偏折从附近经过的星光的预言。

"I am wondering who the third one is?"







TH 44	<u>₩</u> ₩±	ゴー 担 底 会 粉 (2 CM / 力。2)
大14名称	半 习 密 度 (g/cm ²)	51刀独度参致(2GM/RC)
地球	5	10 ⁻⁹
太阳	1	10 ⁻⁶
白矮星	$\sim 10^{6}$	$\sim \! 10^{-4}$
中子星	$\sim 10^{14}$	$\sim 10^{-1}$
黑洞		1

白矮星 < 1.4 M 📀 中子星 黑 洞 > 3.2 M 📀

$$\upsilon^2 = \frac{2GM}{R}$$

$$r_{s} \equiv \frac{2GM}{c^{2}}$$





◆ 根据广义相对论,光子可以被天体周围的引力场所捕获
 ◆ 能否模拟引力透镜效应,设计和制备一种新型的微腔来捕获光子⁷

介质折射率模拟引力场

引力场方程:
$$G_{\mu\nu} = -T_{\mu\nu} = -\rho u_{\mu}u_{\nu} - p(u_{\mu}u_{\nu} - g_{\mu\nu})$$

$$ds^{2} = e^{2\nu}c^{2}dt^{2} - e^{2\lambda}(dr^{2} + r^{2}d\Omega)$$



$$\begin{cases} \nabla \times \mathbf{E} = -\mu(\mathbf{r}) \cdot \frac{\partial \mathbf{H}}{\partial t} \\ \nabla \times \mathbf{H} = \varepsilon(\mathbf{r}) \cdot \frac{\partial \mathbf{E}}{\partial t} \\ \Rightarrow \nabla^2 \mathbf{U} - \frac{\mathbf{n}(\mathbf{r})^2}{c^2} \cdot \frac{\partial^2 \mathbf{U}}{\partial t^2} = 0 \end{cases}$$

我们能否通过控制介质的折射率模拟引力场? 38





$$\varepsilon'_{u} = \varepsilon_{u} \frac{Q_{u}Q_{v}Q_{w}}{Q_{u}^{2}}$$
$$\mu'_{u} = \mu_{u} \frac{Q_{u}Q_{v}Q_{w}}{Q_{u}^{2}}$$

$$Q_{u}^{2} = \left(\frac{\partial x}{\partial u}\right)^{2} + \left(\frac{\partial y}{\partial u}\right)^{2} + \left(\frac{\partial z}{\partial u}\right)^{2}$$
$$Q_{v}^{2} = \left(\frac{\partial x}{\partial v}\right)^{2} + \left(\frac{\partial y}{\partial v}\right)^{2} + \left(\frac{\partial z}{\partial v}\right)^{2}$$
$$Q_{w}^{2} = \left(\frac{\partial x}{\partial w}\right)^{2} + \left(\frac{\partial y}{\partial w}\right)^{2} + \left(\frac{\partial z}{\partial w}\right)^{2}$$

超构材料中的变换光学

(a)



$$\begin{split} \varepsilon'_{r'} &= \mu'_{r'} = \frac{R_2}{R_2 - R_1} \frac{(r' - R_1)^2}{r'} \\ \varepsilon'_{\theta'} &= \mu'_{\theta'} = \frac{R_2}{R_2 - R_1}, \\ \varepsilon'_{\phi} &= \mu'_{\phi'} = \frac{R_2}{R_2 - R_1} \end{split}$$

J. B. Pendry et al., Science 312, 1780

U. Leonhardt, Science 312, 1777



(b)

芯片的设计



制备工艺: 旋涂 天体 = 微球; 引力场 = 弯曲波导

微球附近PMMA厚度分布



这张图是微球附件的PMMA的厚度分布的示意图,我们发现在靠近微球20微 米的范围内PMMA急剧凸起,PMMA厚度分布满足 $h(r) = 1 + (\frac{R}{r})^4$

<u>其中</u> $R \approx 26.54 \mu m$ <u>这个高度分布决定"黑洞"视界的大小是在微米的量级</u>

弯曲波导的等效折射率的分布



弯曲波导的表征

Interference pattern



AFM measurement







光学测量技术:量子点荧光成像法





Nature Photonics, in press(2013)

光子捕获的临界半径

а



impact parameter r :

the perpendicular distance between the beam and the center of the microsphere

photon sphere r_c

(critical value $r_c = 39$ um): r> r_c light deflected back into space r< r_c light captured by the "black hole"



Scattered Field Intensity Profiles



基于爱因斯坦方程的理论计算

Thickness profile $h(r) \approx h_{\infty} \left(1 + \left(\frac{R}{r}\right)^4 \right)$

Effective refractive index

$$\varepsilon(r) = n^2(r) \approx n_{\infty}^2 \left[1 + \left(\frac{a}{r}\right)^4\right]$$

Equation of motion $(dr)^2 n^2(r)r^4$

$$\left(\frac{d}{d\varphi}\right) = \frac{d}{b^2} - r^2$$

Deflection angle

$$\theta = 2K[u_t^4] \sqrt{1 + u_t^4} - \pi$$



The deflection angles measured in the experiment (dots) and calculated (solid and dashed lines)



在photon sphere的半径 处,偏折角无穷大,意味 着在photon sphere处, 光被trapping.

Photon sphere的半径

在直径为32cm的圆盘附近PMMA高度分布的参数分别为

$$h(r) = h_{\infty}(1 + (\frac{R}{r})^{s})$$

 $h(r) = 1 + (\frac{30cm}{r})^{4} (\mu m)$



 $h_{\infty} = 0.55 \,\mu m$ R=30cm S=4



在 photon sphere 处满足

$$\frac{dr}{d\varphi} = 0 \quad \frac{d^2r}{d^2\varphi} = 0$$
引力场分布是: $n^2(r) \approx 1 + \left(\frac{a}{r}\right)^4$
通过解方程, photon sphere 半径是:
 $a = 34.5cm$

Phase space 图的说明:通过鞍点的等高线将相图分为四个部分, 在区域A,光从无限远处来会被散射到无穷远处。在区域B中无限远 处的光会吸引来"黑洞"附近,但是通过区域C最终逃逸出去,而只 有在区域D光被trapping。

对于等效折射率分布为:
$$n(r) \approx \sqrt{1 + \left(\frac{a}{r}\right)^4}$$

Photon sphere 对应的半径是 $r_{ph} = a$

等效折射率梯度分布
$$\left|\frac{dn}{dr}\right| = \frac{2a^4}{r^3\sqrt{a^4 + r^4}}$$

所以在
$$r_{ph} = a$$
 梯度的数值为 $\left| \frac{dn}{dr} \right|_{r=r_{ph}} = \frac{2a^4}{r^3\sqrt{a^4 + r^4}} = \frac{\sqrt{2}}{a}$
在photon sphere 处折射率的导数都是 $\frac{\sqrt{2}}{a}$

在文章中, 折射率分布和最近假设的等效折射率分布形式相同, 所以数值是一样的。只不过是半径的单位不同, 一个是微米, 一个是厘米

天体名称	平均密度(g/cm ³)	引力强度参数(2GM/Rc ²)
地球	5	10 ⁻⁹
太阳	1	10^{-6}
白矮星	$\sim 10^{6}$	$\sim 10^{-4}$
中子星	$\sim 10^{14}$	$\sim 10^{-1}$
黑洞		1

表 4.1 典型天体的密度与表面引力场强度

対于黑洞表面引力强度 = $2GM / Rc^2 = a / R = 1$ $a \equiv 2GM / c^2$ $\rho \propto M / a^3 \propto 1 / M^2$

1. $M = 10^{15} g$, $r = 1.5 * 10^{-13} cm => 10^{53} g / cm^3$; 2. $M = 3* 10^{55} g$, $r = 4 * 10^{27} cm (10^{10}) => 10^{-29} g / cm^3$.





Curved space-time on a chip

Photonic device simulates gravitational lensing predicted by Einstein's general relativity.

It took two major expeditions charting the solar eclipse of 1919 to verify Albert Einstein's weird prediction about gravity that it distorts the path of ...



"This is indeed the first time an exact solution of Einstein's equations was mimicked" using an optical model, says Leonhardt. The simplicity of the experiment — microspheres on plastics — "beautifully illustrates some of the ideas of general relativity", he adds.







Richard Feynman

Still, says study coauthor Dentcho Genov of Louisana Tech University in Ruston, the team's microchip model "may hold the key to the elucidation of phenomena based on general relativity that are extremely difficult to study through direct astronomical observations". This includes cases of radio waves with wavelengths comparable to the size of the celestial object, he notes. Published in Nature photonics. (Sep. 2013)Press ReleaseScientific AmericanPhys.orgNevHUFFPOSTTechnology.orgGlobal.org

(Scientific American) Curved Spacetime Mimicko (Phys.org) Researchers devise a way to mimic gra (Newscientist) Light-bending black hole mimic is (Nature News) Curved space-time on a chip (HUFFPOST) Space-Time Curvature Simulated (Technology.org) Researchers devise a way to minibe seen

(Global.org) Space-Time Curvature Simulated O <u>EINSTEIN THEORY</u>

(OFweek 光学网) 南大实现在芯片上模拟天体引 (中央政府门户网站) 南大研究人员实现在芯片上 (自然基金网站) 南京大学研究人员实现在芯片上 《物理》封面报道:光子芯片中相对论引力透镜









李涛,王漱明;李林、程庆庆 ··· 刘辉;盛冲、汪弋 ···



徐平;金华、柏艳飞、钟马林、罗湘文 … 58

Supported by : the State Key Program for Basic Research in China and the National Natural Science Foundations of China



http://dsl.nju.edu.cn